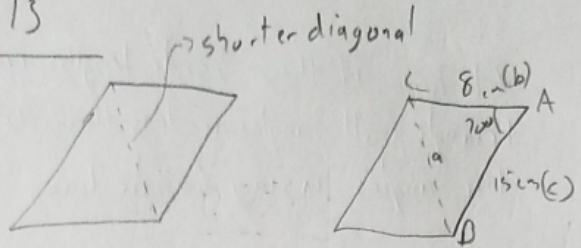
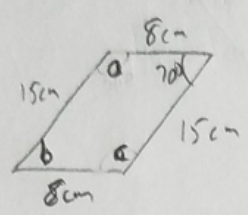


10



- we know  $\angle b$  is equal to  $70^\circ$  as opposite angles in parallelogram are equal.

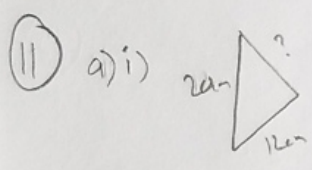
- we know angle  $a$  and  $c$  must be equal and add up to  $220^\circ$  (because  $70^\circ + 70^\circ = 140^\circ$  and  $220^\circ$  would be left to get the  $360^\circ$  of this 4-sided figure).

means each angle is  $110^\circ$  (half of  $220^\circ$ )

we can use Cosine Law to find diagonal

$$a^2 = b^2 + c^2 - 2bc \cos A$$

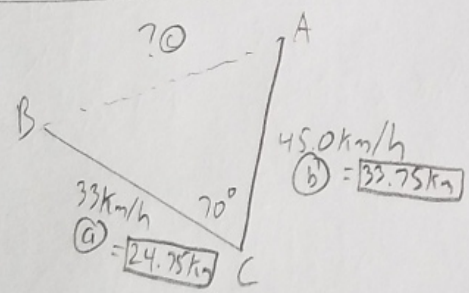
$$a^2 = 8^2 + 15^2 - 2(8)(15) \cos 70^\circ$$



\* Can't be solved without previous knowledge not covered in this semester.

\* This question can be skipped.

13



Driver a

33 km/h for 45 mins

$$\leftarrow \frac{33 \text{ km}}{h} \times 0.75 \text{ h}$$

$$= \boxed{24.75 \text{ km}}$$

Driver b

$$45.0 \text{ km/h} \times 0.75 \text{ hr}$$

$$= 33.75 \text{ km}$$

\* 45 mins =  $\frac{3}{4}$  or  $\boxed{0.75 \text{ hr}}$

$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$c^2 = (24.75 \text{ km})^2 + (33.75 \text{ km})^2 - 2(24.75 \text{ km})(33.75 \text{ km}) \cos 70^\circ$$

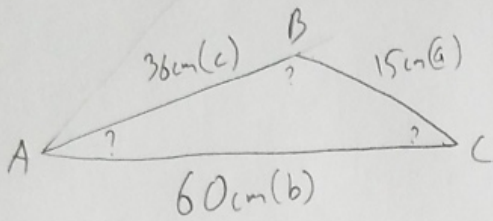
$$c^2 = 1751.625 \text{ km}^2 - 531.387 \text{ km}^2$$

$$\sqrt{c^2} = \sqrt{1180.278 \text{ km}^2}$$

$$c = \boxed{34.4 \text{ km}}$$

15 \* Same circumstance as # 11 can't be solved currently.

(12)



\* to know if these 3 side lengths create an acute triangle (all 3 angles are less than  $90^\circ$ ) we must find the angles using Cosine Law.

∠A

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$15^2 = 60^2 + 36^2 - 2(60)(36) \cos A$$

$$225 = 4896 - 4320 \cos A$$

$$-4896 \quad -4896$$

$$-4671 = -4320 \cos A$$

$$\frac{-4671}{-4320} = \cos A$$

$$1.08125 = \cos A$$

$$\times = \angle A$$

\* this is not possible for

Cosine Law as the ratio must be less than +1 or greater than -1 to give an angle. This will only give an error for all 3 angle.

↳ this triangle cannot be created!

∠B

$$60^2 = 15^2 + 36^2 - 2(15)(36) \cos B$$

$$\cos B = \frac{2079}{-1080}$$

∠C

$$36^2 = 15^2 + 60^2 - 2(15)(60) \cos C$$

$$\cos C = \frac{-2529}{-1800}$$