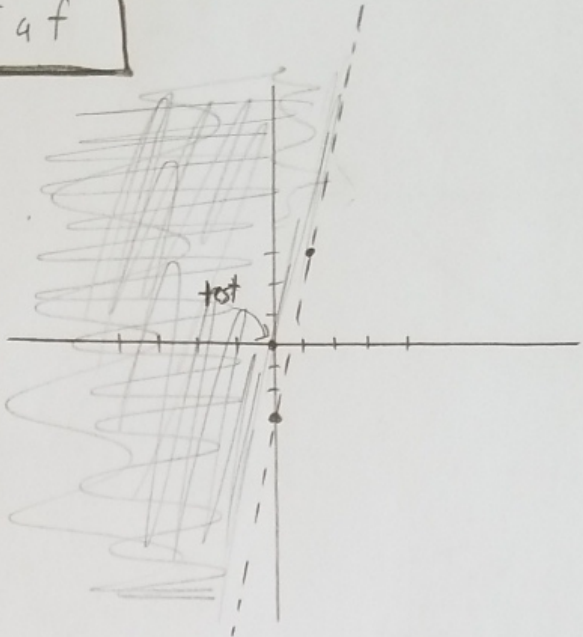


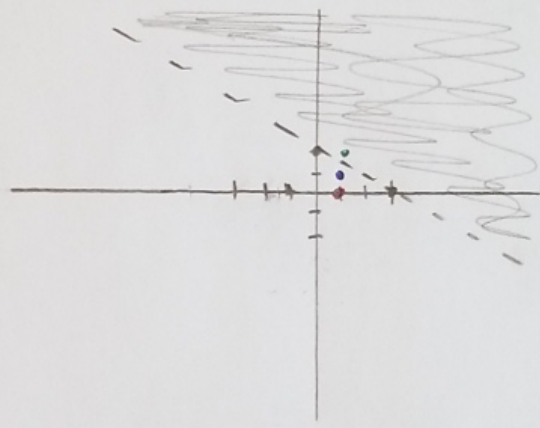
1b) $y < -6x + 3$
 \downarrow
 $y > 6x - 3$



Test (0,0)
 $-0 < -6(0) + 3$
 $0 < 3$ ✓

2) $2x + 3y > 6$

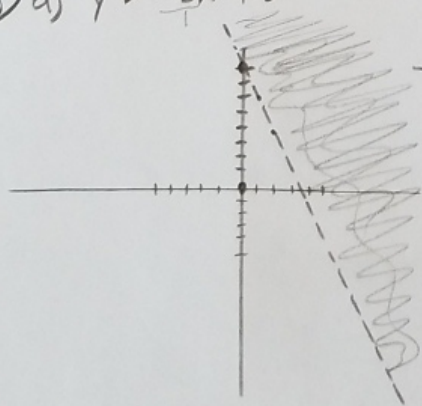
- a) Dashed, due to $>$ not \geq
- b) Above
- c) i) ~~(1,1)~~ ii) ~~(1,0)~~ iii) (1,2) ✓



x-int	y-int
$2x + 3(0) > 6$	$2(0) + 3y > 6$
$2x > 6$	$3y > 6$
$x > 3$	$y > 2$
(3, 0)	(0, 2)

- 4) a) Matches with ii) b/c it is a dashed line ($>$) + is all Real #'s ($x \in \mathbb{R}, y \in \mathbb{R}$)
- b) " " i) \rightarrow dashed ($>$) and only integers ($x \in \mathbb{W}, y \in \mathbb{W}$) (whole #'s)
- c) " " iii) \rightarrow solid (\geq) and real #'s

5) a) $y > -2x + 8$

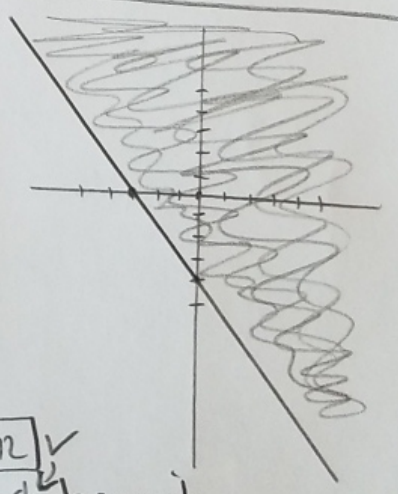


Test (0,0)
 $0 > -2(0) + 8$
 $0 > 8$ X
 \therefore shade opposite side of line!

5) f) $4x + 3y \geq -12$

x-int	y-int
$4x + 3(0) \geq -12$	$4(0) + 3y \geq -12$
$4x \geq -12$	$3y \geq -12$
$x \geq -3$	$y \geq -4$
(-3, 0)	(0, -4)

Test (0,0)
 $4(0) + 3(0) \geq -12$ } $0 \geq -12$ ✓
 \therefore shade same side

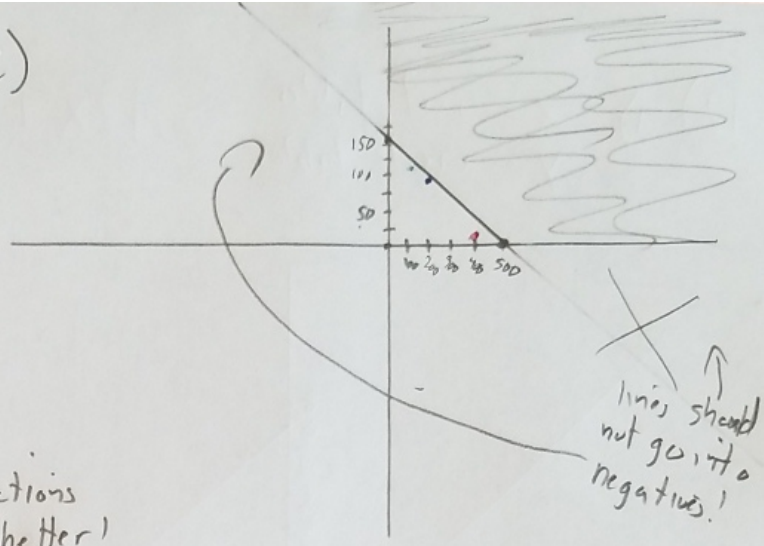


Pg. 222 - 9, 10, 12

9) a) x - teddy bears
y - tickets

$$10x + 32y \geq 5000$$

b) $\{x \mid x \geq 0, x \in \mathbb{I}\}$ ← no upper restrictions as the more the better!
 $\{y \mid y \geq 0, y \in \mathbb{I}\}$ * both are also only integers as you can't sell fractions of bears + tickets.



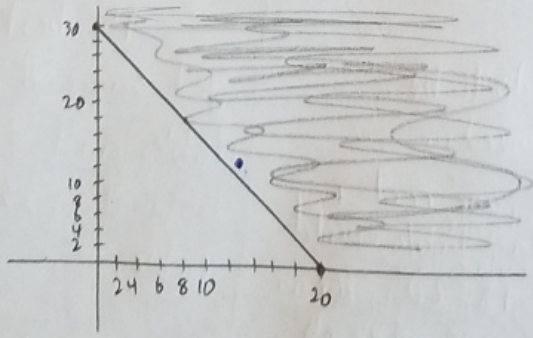
Test (0,0)
 $10(0) + 32(0) \geq 5000$
 $0 \geq 5000 \quad \times$

x int	y int
$10x + 32(0) \geq 5000$	$10(0) + 32y \geq 5000$
$\frac{10x \geq 5000}{10}$	$\frac{32y \geq 5000}{32}$
$x \geq 500$	$y \geq 156.25$
$(500, 0)$	$(0, 156.25)$

- d) i) $(400, 20) \times$
 ii) $(205, 98) ? \rightarrow 10(205) + 32(98) \geq 5000$
 $5185 \geq 5000 \quad \checkmark$
 iii) $(156, 105) ? \rightarrow 10(156) + 32(105) \geq 5000$
 $560 + 3360 \geq 5000$
 $4920 \geq 5000 \quad \times$

* For (ii) + (iii) it was too close on graph to know for sure. In this case test your x+y in your inequality

10) a) x - maple
y - birch
 $75x + 50y \geq 1500$
 $\{x \mid x \geq 0, x \in \mathbb{I}\}$
 $\{y \mid y \geq 0, y \in \mathbb{I}\}$



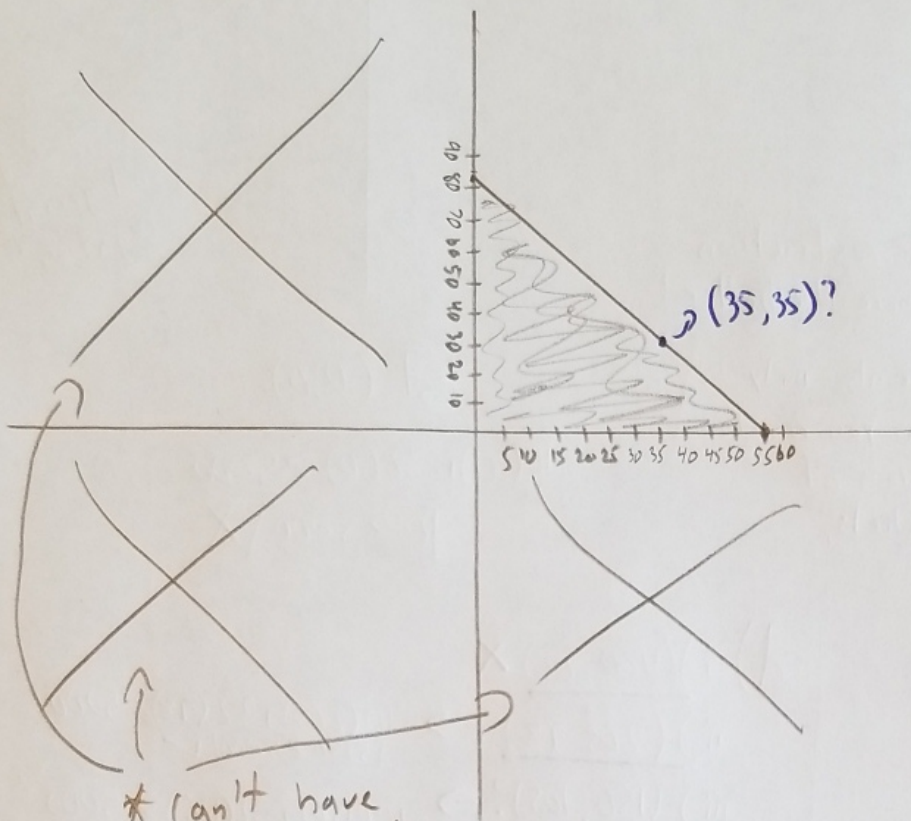
x int	y int
$75x + 50(0) \geq 1500$	$75(0) + 50y \geq 1500$
$\frac{75x \geq 1500}{75}$	$\frac{50y \geq 1500}{50}$
$x \geq 20$	$y \geq 30$
$(20, 0)$	$(0, 30)$

Test (0,0)
 $75(0) + 50(0) \geq 1500$
 $0 \geq 1500 \quad \times$

- c) i) $(13, 13) ?$
 $75(13) + 50(13) \geq 1500$
 $975 + 650 \geq 1500$
 $1625 \geq 1500 \quad \checkmark$

- ii) a) $(14, 9)$ or $(9, 14)$
 $75(14) + 50(9) \geq 1500$
 $1500 \geq 1500 \quad \checkmark$
 b) $75(9) + 50(14) \geq 1500$
 $1375 \geq 1500 \quad \times$

12) a) x - rect. tables $\rightarrow 12x + 8y \leq 660$
 y - circle tables



x int	y int
$12x + 8(0) \leq 660$	$12(0) + 8y \leq 660$
$12x \leq 660$	$8y \leq 660$
$\frac{12x}{12} \leq \frac{660}{12}$	$\frac{8y}{8} \leq \frac{660}{8}$
$x \leq 55$	$y \leq 82.5$
$55, 0$	$0, 82.5$

Test $(0, 0)$
 $12(0) + 8(0) \leq 660$
 $0 \leq 660$ ✓

b) we need to get as close to 660 as possible while keeping a similar # of tables so we may need to try a few possibilities. I will show them above as blue dots (since the line represents exactly 660 this is where we start).

(35, 35)
 $\hookrightarrow 12(35) + 8(35) \leq 660$
 $420 + 280 \leq 660$
 $700 \leq 660$ X
 too high

(34, 34)
 $12(34) + 8(34) \leq 660$
 $408 + 272 \leq 660$
 $680 \leq 660$ X
 just a bit too high
 \hookrightarrow needs to be 20 lower.
 Since, one rect + circular table would be $12 + 8 = 20$, we can remove one of each.

(33, 33)
 $12(33) + 8(33) \leq 660$
 $396 + 264 \leq 660$
 $660 \leq 660$
 \therefore the best combo to get same # of each tables and fit max amount is 33 of each table.